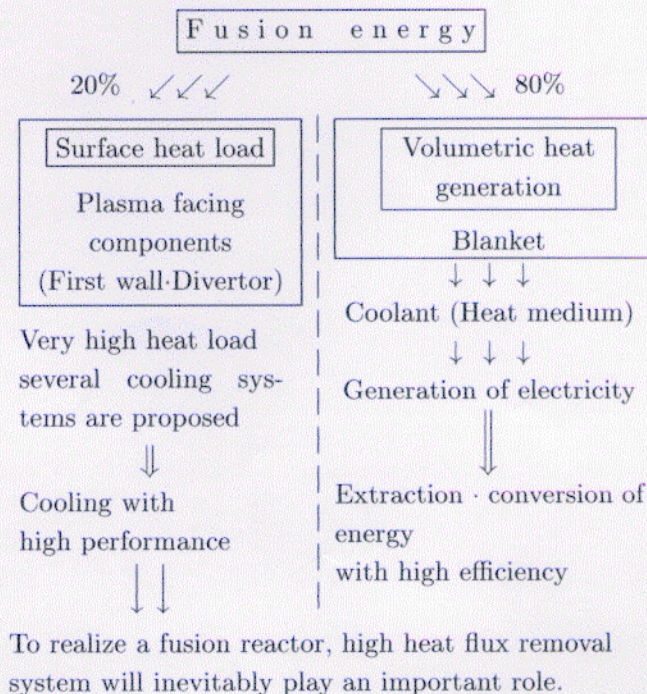


## High Heat Removal by Evaporated Fluid in Porous Media

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### Background

#### Study for thermal-hydraulics of fusion reactor



### Conventional cooling system

#### Water cooling

- good heat transport characteristics for small pumping power
  - good compatibility with material
  - Burnout heat flux decreases under high pressure condition
  - low outlet temperature → low thermal efficiency
- advanced technique: forced convection in swirl tube

#### Gas cooling

- inert
  - not affected by magnetic field
  - low heat transfer rate → poor cooling capacity
  - excessive driving force and heat-resistant materials are necessary
- advanced technique: gas-solid impinging jet

#### Liquid metal cooling

- high thermal conductivity, good thermal characteristics
  - treated as single phase flow with low pressure under high temperature condition
  - chemically active
  - MHD effect → excessive driving force
- advanced technique: liquid metal mist cooling

### Purpose

#### New concept of cooling system

Future power reactor

⇒ extraction · transport · conversion of energy with high efficiency and high power density

High heat flux component → { generate high temperature heat medium (high power density)  
 · remove very high heat flux

New cooling system :

- Using metal porous media
- Based on heat removal by latent heat

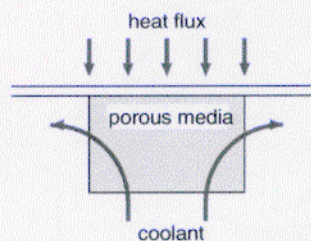


Fig. 1 Conceptual diagram

## Merit of the cooling system using porous media

- Large thermal conductivity of metal material
  - ⇒ Thermal energy is transmitted into the inside of coolant
- Large contact surface between coolant and solid
  - ⇒ improvement of heat transfer
- Making coolant evaporate positively
  - ⇒ High temperature steam is available
- Boiling flow in porous media
  - ⇒ apparent thermal conductivity is enhanced by heat pipe effect

In this study

- Investigating the heat removal characteristics of this system
- Demonstrating high heat flux removal with high power density
- Analyzing heat transfer and fluid flow in porous media in detail

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## Fundamental experiment

### Approach from high power density

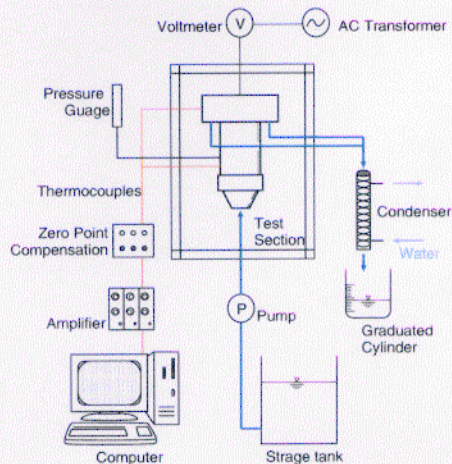


Fig. 2 Experimental apparatus

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## 2. Fundamental experiment

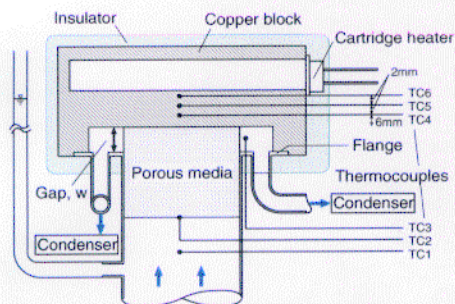


Fig. 3 Diagram of test section

Heaters: 650W(max) × 4

Porous media:

Sintered metal (SUS 316) composed of spherical particle with familiar characteristics with 5.0cm long diameter, 2.0cm long height

Table 1 Characteristics of porous media

Characteristics	Porous test sample	
	#1	#2
average particle diameter [ $\mu\text{m}$ ]	500	160
average pore diameter [ $\mu\text{m}$ ]	25	9
porosity [vol.%]	47	42

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## 2. Fundamental experiment

### Experimental procedure

- Parameter
  - $P_{in}$ ,  $T_{in}$ ,  $q_{in}$
- Water evaporates in porous media ( $T_{out} > T_{sat}$ )
  - ↓
  - Start measurement (2 minutes) :  $T_{in}$ ,  $T_{out}$ ,  $\dot{m}$
- Calculation of removed heat flux,  $\bar{q}_{rmv}$

$$\bar{q}_{rmv} = \dot{m} \{c_1(T_{sat} - T_{in}) + h_{fg} + c_v(T_{out} - T_{sat})\} \quad (1)$$

$\bar{q}_{rmv}$  : average removed heat flux

$c_1, c_v$  : specific heat of water & steam

$T_{sat}$  : saturation temp.

$h_{fg}$  : latent heat

$T_{in}$  : inlet temp.

$T_{out}$  : outlet temp.

$\dot{m}$  : mass flux

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## Experimental result

## History of temperature

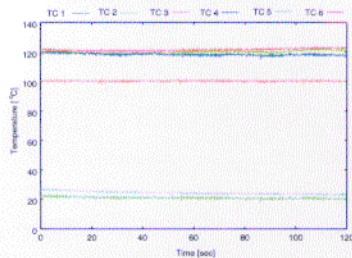
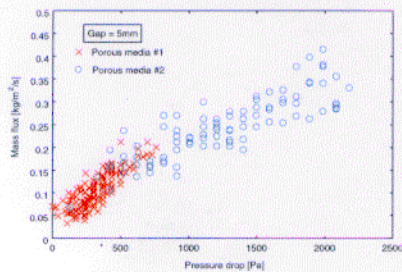
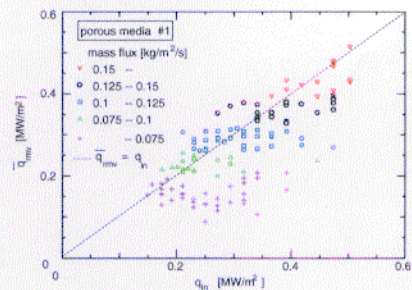
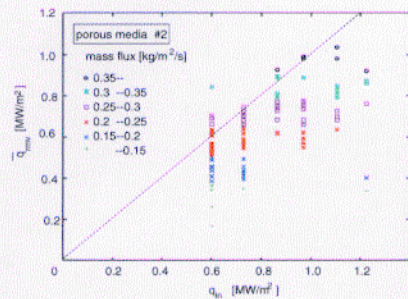
Fig. 4  $q_{in}=0.73\text{MW/m}^2$ ,  $\dot{m}=0.27\text{kg/m}^2/\text{s}$ , #2Relation between  $\dot{m}$  and  $P_{in}$ 

Fig. 5 Mass flux varying with pressure drop

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Relation between  $\dot{m}$  and  $\bar{q}_{rmv}$ Fig. 6  $\bar{q}_{rmv}$  varying with  $\dot{m}$ : #1Fig. 7  $\bar{q}_{rmv}$  varying with  $\dot{m}$ : #2

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## Difference of heat removal characteristics

caused by different aspect of flow in porous media

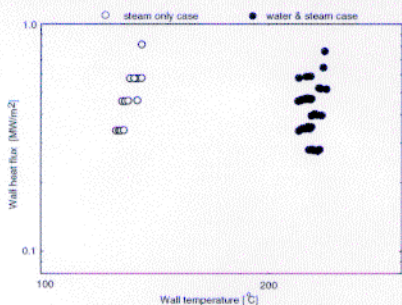
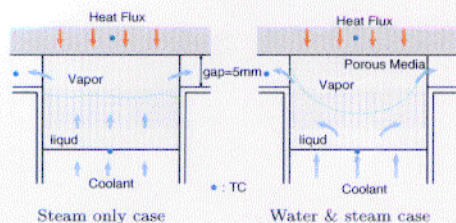


Fig. 8 Change of boiling curve



## To enhance removed heat flux

Not all of water evaporates in porous media.  
 $\Rightarrow$  Water tends not to flow around the center of the heat transfer area.  
 $\Rightarrow$  Heat transfer decreases

↓ ↓ ↓  
 Undesirable feature for this cooling system

To enhance heat removal capacity:

Increasing mass flux with

- Making water flow into the center of the heat transfer area, or
- Making all of water evaporate in the porous media

↓ ↓ ↓  
 · Narrowing the gap's width  
 · changing the shape of porous media

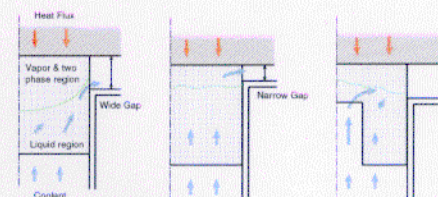
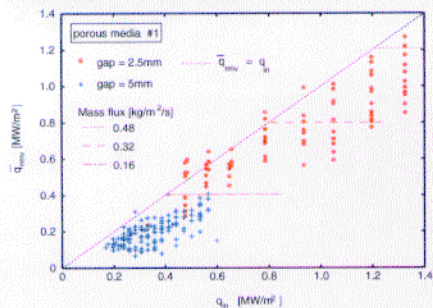
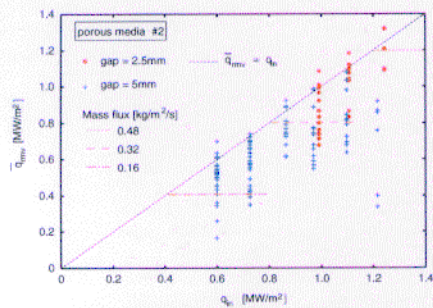


Fig. 9 Way to enhance heat removal capacity

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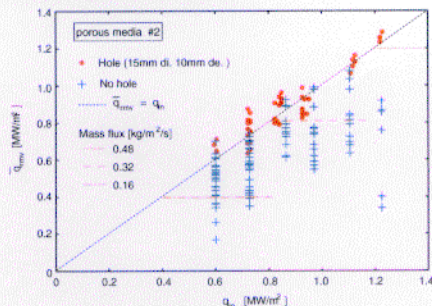
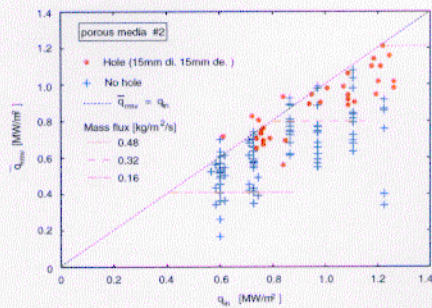
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## Change of removed heat flux by the gap width

Fig. 10  $\bar{q}_{rmv}$  varying with gap width: #1Fig. 11  $\bar{q}_{rmv}$  varying with gap width: #2

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## Change of removed heat flux by the shape

Fig. 12  $\bar{q}_{rmv}$  varying with shape: 15di. 10de.Fig. 13  $\bar{q}_{rmv}$  varying with shape: 15di. 15de.

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## Summary of fundamental experiment

- Each mass flux had the upper limit of removed heat flux, and its value was nearly equal to the heat flux which is required to make all of the injected water evaporate in the porous media.
- Heat transfer between the heated wall and the porous media was rather better under the steam only condition than under the water & steam condition.
- Keeping the steam only case is effective for enhancement of the heat removal capacity with high outlet temperature of the cooling water.

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## High heat flux removal experiment

## Approach from high heat load removal

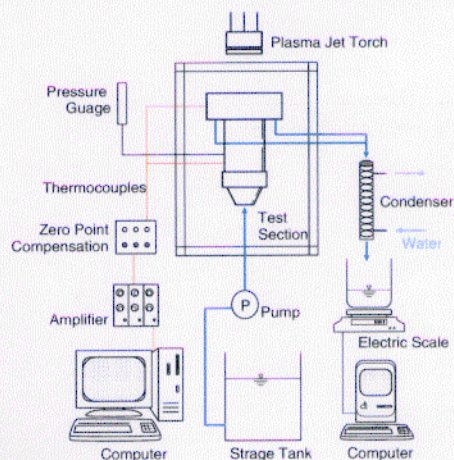


Fig. 14 Experimental apparatus

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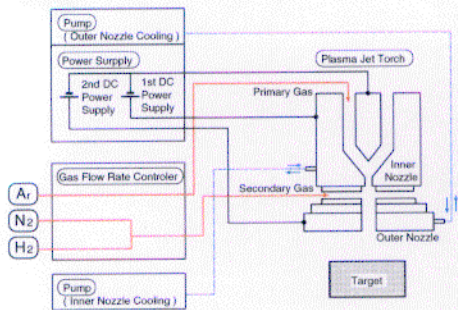


Fig. 15 Schematic view of Plasma Gun

Table 2 Experimental condition

Discharge current	300A
Gas flow rate	Ar 30 l/min
	H <sub>2</sub> 100 l/min
	N <sub>2</sub> 25 l/min
Distance between plasma torch and target (H)	4.5, 7, 9.5, 12 cm

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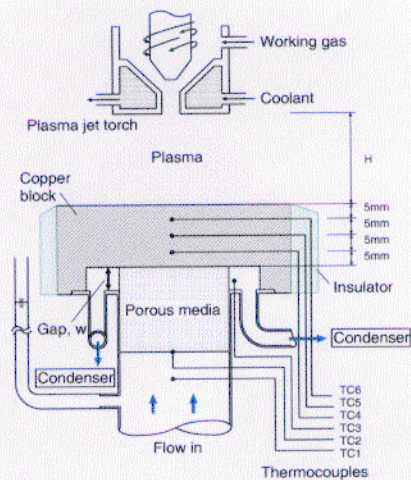


Fig. 16 Diagram of test section

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Table 3 Characteristics and shape of porous media

Characteristics		Porous test sample No.			
		#1	#2	#3	#4
porosity	$\epsilon$ [vol.%]	47	42	42	42
average particle diameter	$d_p$ [ $\mu\text{m}$ ]	500	160	160	160
average pore diameter	[ $\mu\text{m}$ ]	25	9	9	9
shape					
di	[mm]	0	0	15	15
de	[mm]	0	0	10	15

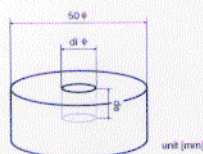


Fig. 17 Shape of porous media

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### Experimental procedure

#### o Parameter

$P_{in}(u_{in})$ ,  $H(q_{in})$ , Porous test sample, gap

#### o Impose plasma jet (1 minute)

#### o Removed heat flux $\bar{q}_{rmv}$

$\Rightarrow$  evaluated by least square method using TC's data.

Adopted function :  $f(x, a) = a_0 \exp(a_1 x) + a_2$

$$\bar{q}_{rmv} = k_{Cu} a_0 a_1 \exp(a_1 x_s) \quad (2)$$

$x_s$ : Heat transfer surface position

Or

$$\bar{q}_{rmv} = \dot{m} \{c_1(\bar{T}_{out} - T_{in}) + \beta h_{fg}\} \quad (3)$$

$\dot{m}$  : mass flux

$c_1$  : specific heat of water

$h_{fg}$  : latent heat

$T_{in}$  : inlet temp.

$\bar{T}_{out}$  : average outlet temp.

$\beta$  : evaporation rate of cooling water

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## Flow characteristics

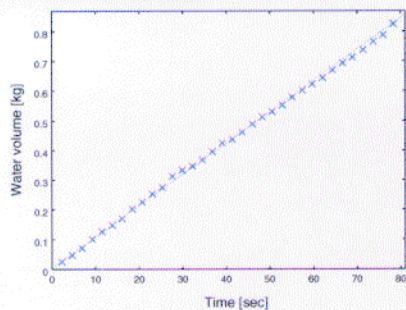
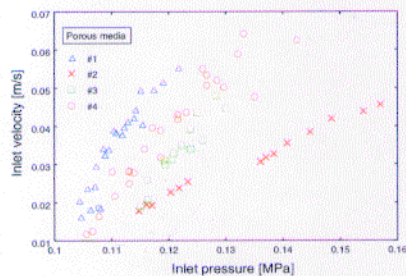


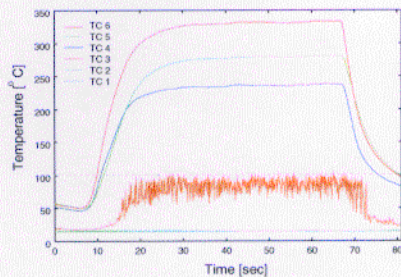
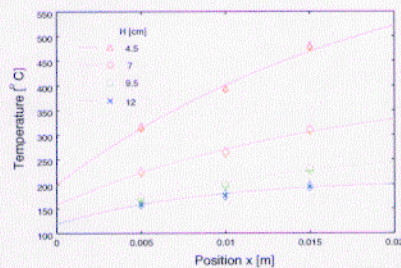
Fig. 18 History of water volume

Fig. 19  $u_{in}$  varying with  $P_{in}$ :  $w=5\text{mm}$ 

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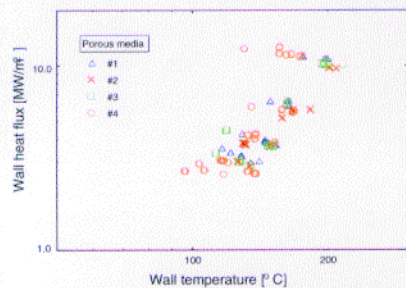
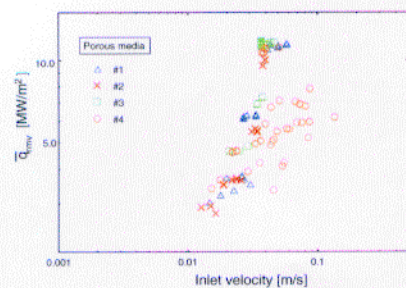
## Heat removal characteristics

## History of temp. &amp; temperature profile

Fig. 20 History of temperature:  $H=7\text{cm}$ , #1,  $w=5\text{mm}$ Fig. 21 Temperature profile varying with  $H$ : #2,  $w=2.5\text{mm}$ 

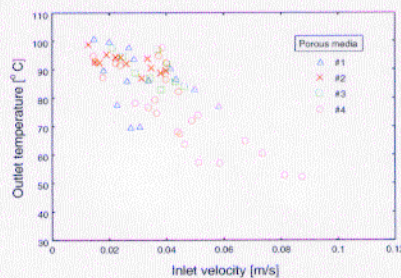
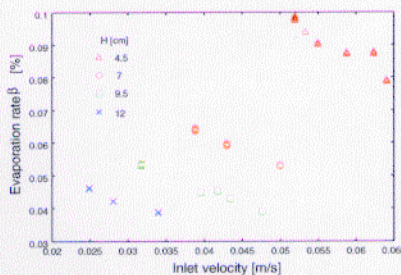
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## Boiling curve &amp; removed heat flux

Fig. 22  $\bar{q}_{w}$  varying with  $T_w$ :  $w=5\text{mm}$ Fig. 23  $\bar{q}_{w}$  varying with  $u_{in}$ :  $w=2.5\text{mm}$ 

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## Outlet temp. &amp; evaporation rate

Fig. 24  $T_{out}$  varying with  $u_{in}$ :  $w=2.5\text{mm}$ Fig. 25 Evaporation rate varying with  $u_{in}$ ,  $q_{in}$ : #4,  $w=5\text{mm}$ 

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## Critical heat flux

### History of temp. & dependence on pressure

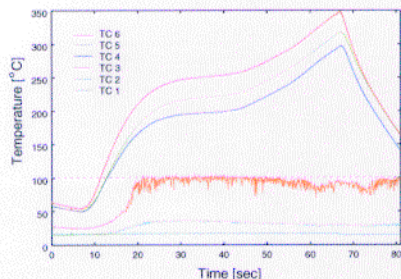
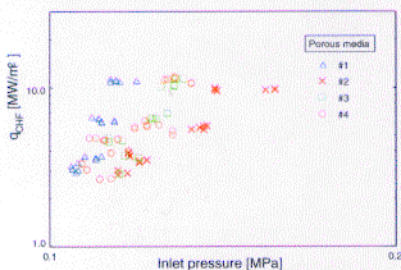
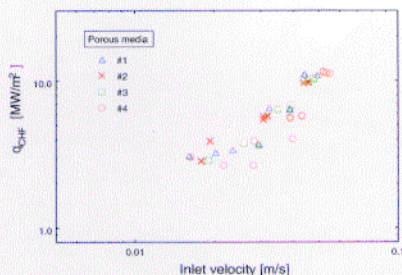
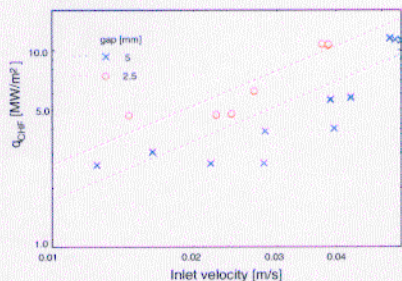


Fig. 26 History of temperature at CHF

Fig. 27  $q_{CHF}$  varying with  $P_{in}$ 

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## Change with $u_{in}$ and gap

Fig. 28  $q_{CHF}$  varying with  $u_{in}$ :  $w=5\text{mm}$ Fig. 29  $q_{CHF}$  varying with gap width: #4

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## Summary of high heat removal experiment

- The evaporation rate has a negative correlation with the flow velocity and has a positive correlation with the incident heat flux.
- Outlet temp. of cooling water gets higher as flow velocity becomes slow. It is necessary for high heat removal with high power density that flow velocity is as small as possible.
- Critical heat flux increases proportionally to the flow velocity of cooling water.
- The narrow gap makes  $q_{CHF}$  higher and the evaporation rate bigger at the same flow velocity.
- It is feasible for the present cooling system to remove heat flux of  $10\text{MW/m}^2$  by the inlet velocity of the cooling water of  $0.04\text{m/s}$  under the pressure of the order of  $0.1\text{MPa}$  with making the cooling water of about 10% evaporate.

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## Numerical simulation for two-phase flow

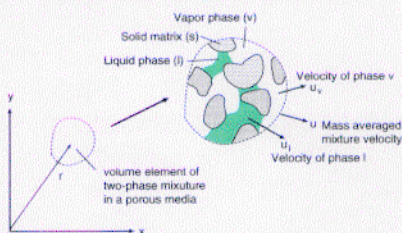


Fig. 30 Schematic illustration for a volume element containing a multiphase mixture

### Treatment as continuum

- Separate flow model (SFM)
  - exact form but many equations to solve
- Two-phase mixture model
  - equivalent to SFM and small equations

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## Two-phase mixture model

### Definition of a multiphase mixture

$$\rho \equiv \rho_l s + \rho_v (1 - s)$$

$$\rho \mathbf{u} \equiv \rho_l \mathbf{u}_l + \rho_v \mathbf{u}_v$$

$$p \equiv \frac{p_l + p_v}{2} + \frac{1}{2} \int_0^{p_c} [\lambda_v(\xi) - \lambda_l(\xi)] d\xi$$

$$\rho h \equiv \rho_l s h_l + \rho_v (1 - s) h_v$$

### Conservation equations

o for mass:

$$\varepsilon \frac{\partial \rho}{\partial t} + \nabla \cdot (\rho \mathbf{u}) = 0 \quad (4)$$

o for momentum:

$$\mathbf{u} = -\frac{K}{\mu(s)} [\nabla p - \rho \kappa(s) \mathbf{g}]$$

o for energy:

$$\Omega \frac{\partial (\rho h)}{\partial t} + \nabla \cdot (\gamma_h \rho h \mathbf{u}) = \nabla \cdot [\Gamma_h \nabla (\rho h)] \quad (5)$$

$$-h_{vsat} \nabla \cdot (\Gamma_h \nabla \rho) + \nabla \cdot \left( f(s) \frac{K \Delta \rho h_{fg}}{\nu_v} \mathbf{g} \right)$$

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Velocity of each phase

$$\rho_l \mathbf{u}_l = \lambda \rho \mathbf{u} + \mathbf{j}, \quad \rho_v \mathbf{u}_v = (1 - \lambda) \rho \mathbf{u} - \mathbf{j}$$

Diffusive mass flux by capillarity and gravity

$$\mathbf{j} = -D(s) \nabla s + f(s) \frac{K \Delta \rho}{\nu_v} \mathbf{g}$$

$$D(s) = \frac{K}{\nu_v} \lambda (1 - \lambda) [-p'_c(s)]$$

	$h \leq h_{lsat}$	$h_{lsat} \leq h \leq h_{vsat}$	$h \geq h_{vsat}$
$T$	$\frac{h - h_{lin}}{c_l} + T_{lin}$	$T_{sat}$	$\frac{h - h_{vsat}}{c_v} + T_{sat}$
$s$	1	$\frac{\rho}{\rho_l} \left( \frac{h_{vsat} - h}{h_{fg}} \right)$	0
$\Omega$	$\varepsilon + \frac{\rho_s c_s (1 - \varepsilon)}{\rho_l c_l}$	$\varepsilon$	$\varepsilon + \frac{\rho_s c_s (1 - \varepsilon)}{\rho_v c_v}$
$\Gamma_h$	$k_{eff} / \rho_l c_l$	$D(s) / \rho_l$	$k_{eff} / \rho_v c_v$
$\gamma_h$	1	$\frac{\rho h_{lsat} + (1 - \lambda) \rho h_{fg}}{\rho h_{lsat} + (1 - s) \rho_v h_{fg}}$	1

Table 4 Variables in energy equation

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Other variables

$$\nu(s) \equiv \left( \frac{k_{rl}(s)}{\nu_l} + \frac{k_{rv}(s)}{\nu_v} \right)^{-1}$$

$$\lambda(s) \equiv \nu(s) \cdot k_{rl}(s) / \nu_l$$

$$k_{rl} = s^3, \quad k_{rv} = (1 - s)^3$$

$$f(s) = k_{rv}(s) \cdot \lambda(s)$$

$$\mu(s) = \rho(s) \cdot \nu(s)$$

$$\rho \kappa(s) = \rho_l \lambda(s) + \rho_v (1 - \lambda(s))$$

$$p_c = p_v - p_l = \left( \frac{\varepsilon}{K} \right)^{1/2} \sigma J(s)$$

$$J(s) = 1.417(1 - s) - 2.120(1 - s)^2 + 1.263(1 - s)^3$$

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## Numerical procedure

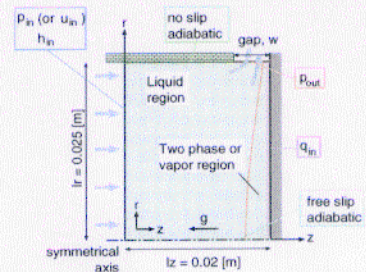


Fig. 31 Numerical system and BC.s

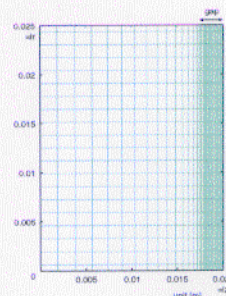


Fig. 32 Location of main grid

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## Numerical result

### Heat transfer and fluid flow in porous media

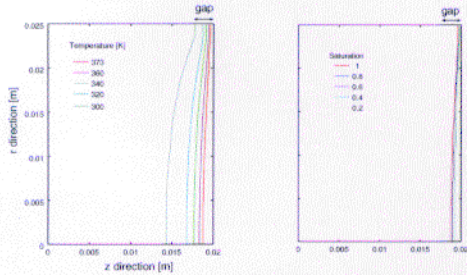


Fig. 33(a) Temperature Fig. 33(b) Liquid saturation

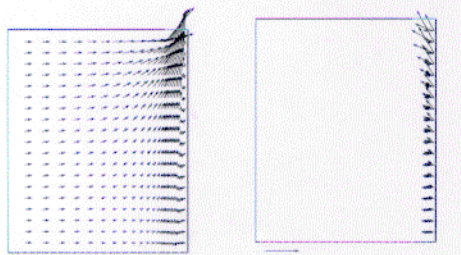


Fig. 33(c) Liquid velocity Fig. 33(d) Vapor velocity

Fig. 33  $u_{in}=0.01\text{m/s}$ ,  $q_{in}=2.0\text{MW/m}^2$

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### Temperature distribution varying with $u_{in}$ , $q_{in}$

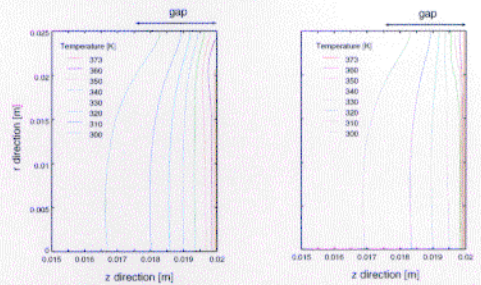


Fig. 34(a)  $q_{in}=2\text{MW/m}^2$  Fig. 34(b)  $q_{in}=4\text{MW/m}^2$

Fig. 34 Same  $u_{in}$ :  $0.02\text{m/s}$

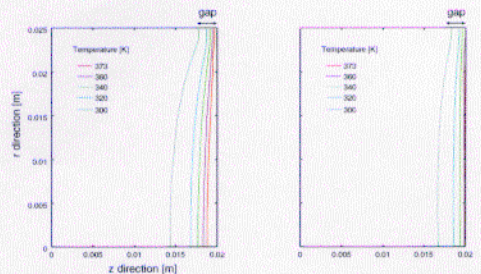


Fig. 35(a)  $u_{in}=0.01\text{m/s}$  Fig. 35(b)  $u_{in}=0.02\text{m/s}$

Fig. 35 Same  $q_{in}$ :  $2\text{MW/m}^2$

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### Temperature distribution varying with $gap$

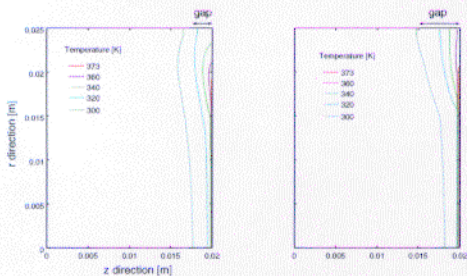


Fig. 36(a)  $w=2.5\text{mm}$  Fig. 36(b)  $w=5\text{mm}$

Fig. 36  $u_{in}=0.03\text{m/s}$ ,  $q_{in}=5\text{MW/m}^2$

Thermal diffusion near outlet



Effect of thermal dispersion

### Comparison with experimental result

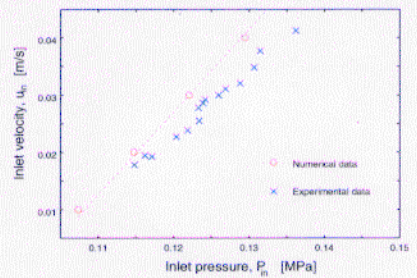


Fig. 37(a)  $w=5\text{mm}$

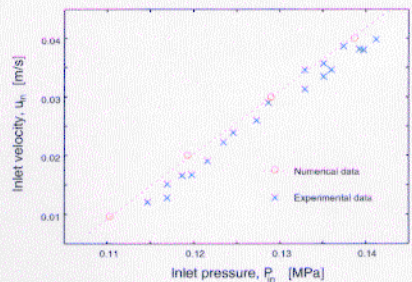
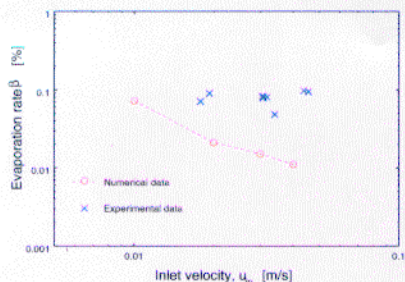
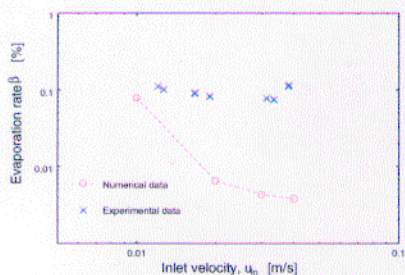


Fig. 37(b)  $w=2.5\text{mm}$

Fig. 37 Relation between  $u_{in}$  and  $P_{in}$

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Fig. 38(a)  $w=5\text{mm}$ Fig. 38(b)  $w=2.5\text{mm}$ Fig. 38 Relation between evaporation rate and  $u_{in}$ 

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### Summary of numerical analysis

- There exists a counter current of vapor flow to liquid flow near the cooling surface.
- Thermal penetration depth becomes short when the flow velocity is fast, and when the incident heat flux is large, the heat doesn't penetrate into the porous media so much because the energy consumed by evaporation becomes large.
- The effect of thermal dispersion becomes noticeable in the outlet region as the flow velocity gets fast.

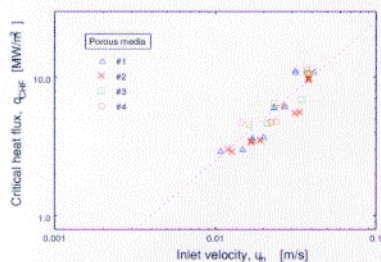
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## 5. Application to fusion reactor

## 5. Application to fusion reactor

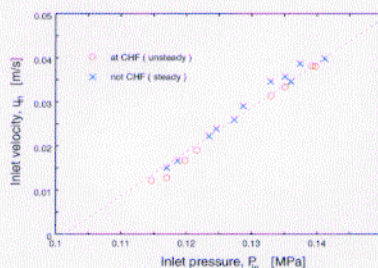
### Application to fusion reactor

#### High heat removal by small flow velocity

Fig. 39  $q_{CHF} \sim 2.5 \times 10^2 \cdot u_{in}$ ;  $w=2.5\text{mm}$ Proposed system : 10MW/m<sup>2</sup> by 0.04m/sSwirl tube : 38MW/m<sup>2</sup> by 10m/s  
under several MPa

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#### High heat removal under low pressure

Fig. 40  $u_{in} \sim 1.0 \cdot (P_{in} - 1\text{atm})$ ; #2,  $w=2.5\text{mm}$ 

- 10MW/m<sup>2</sup> by 0.05MPa pressure drop
- Not necessary to pressurize
- ↓↓↓
- ◇ Small pumping power
- ◇ Great room for materials and connections
- Porous media and high heat load material are not monolithic.
- ↓↓↓
- ◇ High flexibility

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## High heat removal with high power density

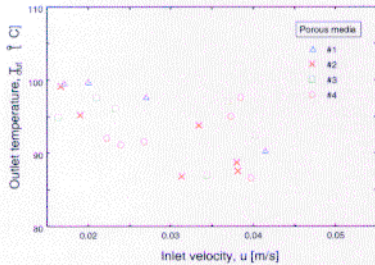


Fig. 41 Relation between  $u_{in}$  and  $T_{out}$  at CHF:  $w=2.5\text{mm}$

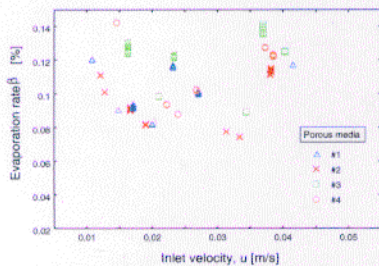


Fig. 42 Relation between  $\beta$  and  $u_{in}$  at CHF:  $w=2.5\text{mm}$

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## Comparison with existing cooling system

Table 5 Comparison with swirl tube

	$q_{CHF}$ [MW/m <sup>2</sup> ]	$u_{in}$ [m/s]	$\Delta P$ [MPa]	exit subcooling [K]
experiment	10	0.04	0.04	10 ~ 15
extrapolation & calculation	30	0.12	0.12	51
swirl tube	30.7	12.0	0.52	110

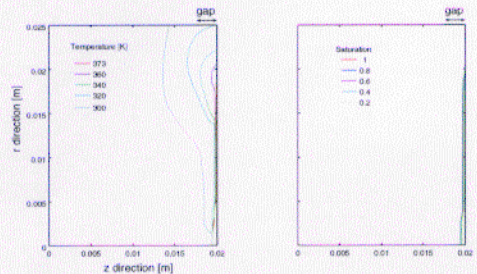


Fig. 43(a) Temperature Fig. 43(b) Liquid saturation

Fig. 43  $u_{in}=0.12\text{m/s}$ ,  $q_{in}=30\text{MW/m}^2$

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## Summary of application to fusion reactor

- It is possible to remove high heat flux by slow flow velocity.
- The proposed system has the simple structure because the pressure drop is small and a pressurized water is not necessary.
- The proposed system has high flexibility at the time of its application because it is not monolithic but separable from the high heat load surface.
- It is feasible for the present system to transport energy with high density because outlet temp. of the cooling water can be high and 10% of water can be evaporated in the system.

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## Conclusion

A cooling system using porous media was proposed as a high heat flux removal system which can use energy effectively.

Following knowledges were obtained.

### From experiment

- Each mass flux has the upper limit of removed heat flux, and its value is nearly equal to the heat flux which is required to make all of the injected water evaporate in the porous media.
- Heat transfer between the heated wall and the porous media is rather better under the steam only condition than under the water & steam condition.
- Keeping the steam only case is effective for the enhancement of the heat removal capacity with the high outlet temperature of the cooling water.
- The evaporation rate has a negative correlation with the flow velocity and has a positive correlation with the incident heat flux.
- Critical heat flux increases proportionally to the flow velocity of the cooling water.

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- It is feasible for the present cooling system to remove the heat flux of  $10\text{MW}/\text{m}^2$  by the inlet velocity of the cooling water of  $0.04\text{m}/\text{s}$  under the pressure of the order of  $0.1\text{MPa}$  with making the cooling water of about 10% evaporate.

#### From numerical analysis

- There exists a counter current of vapor flow to liquid flow near the cooling surface.
- Thermal penetration depth becomes short when the flow velocity is fast, and when the incident heat flux is large, the heat doesn't penetrate into the porous media so much because the energy consumed by evaporation becomes large.
- The effect of thermal dispersion becomes noticeable in the outlet region as the flow velocity gets fast.

#### Application to fusion reactor

- It is possible to remove the high heat flux by the slow flow velocity under the low pressure condition.
- The proposed cooling system has high flexibility because of its simple structure.